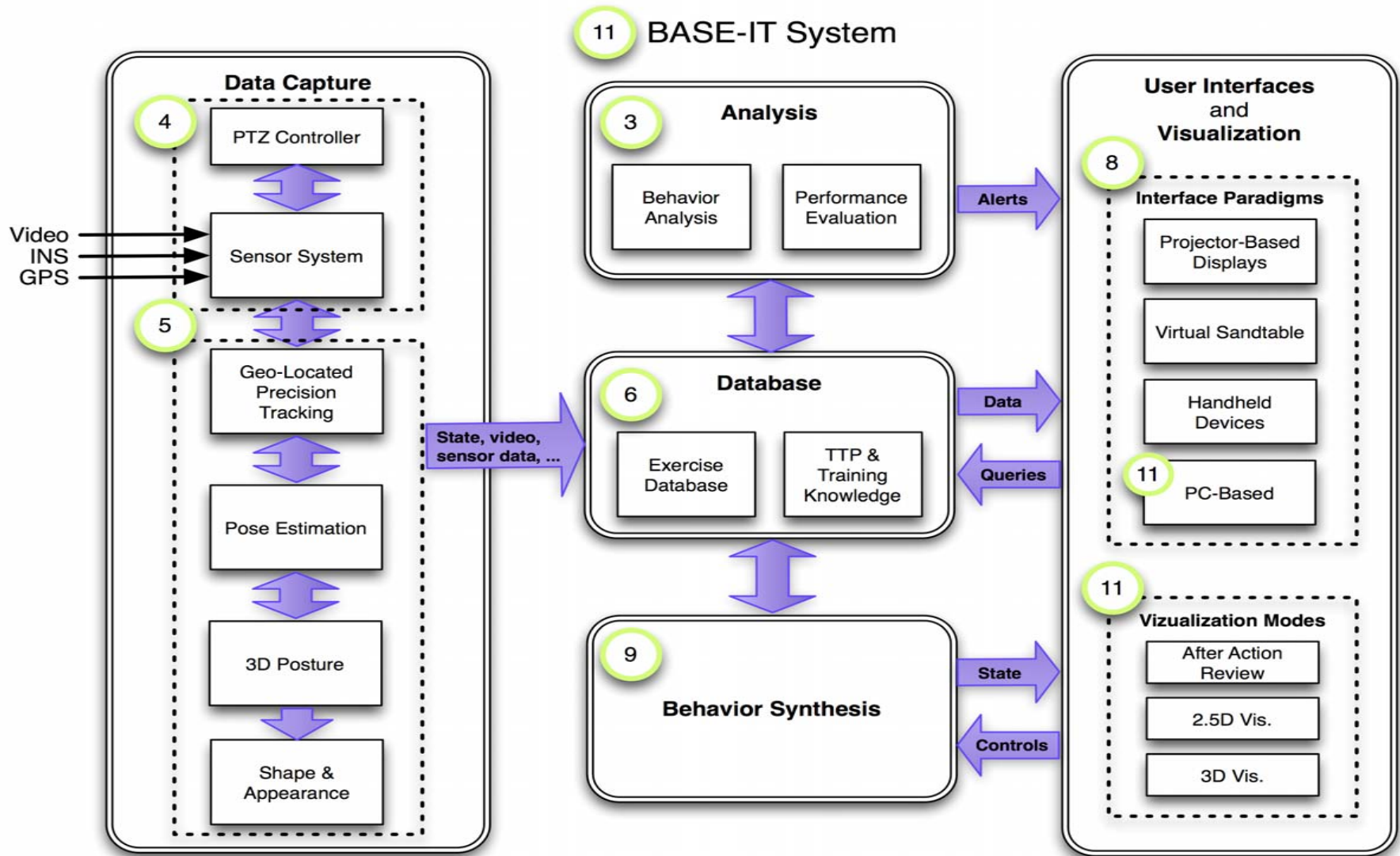




# Automated Instantaneous Performance Assessment for Marine- Squad Urban-Terrain Training

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# Automated performance evaluation is part of Task 3, Analysis



# Visual surveillance of Marine training

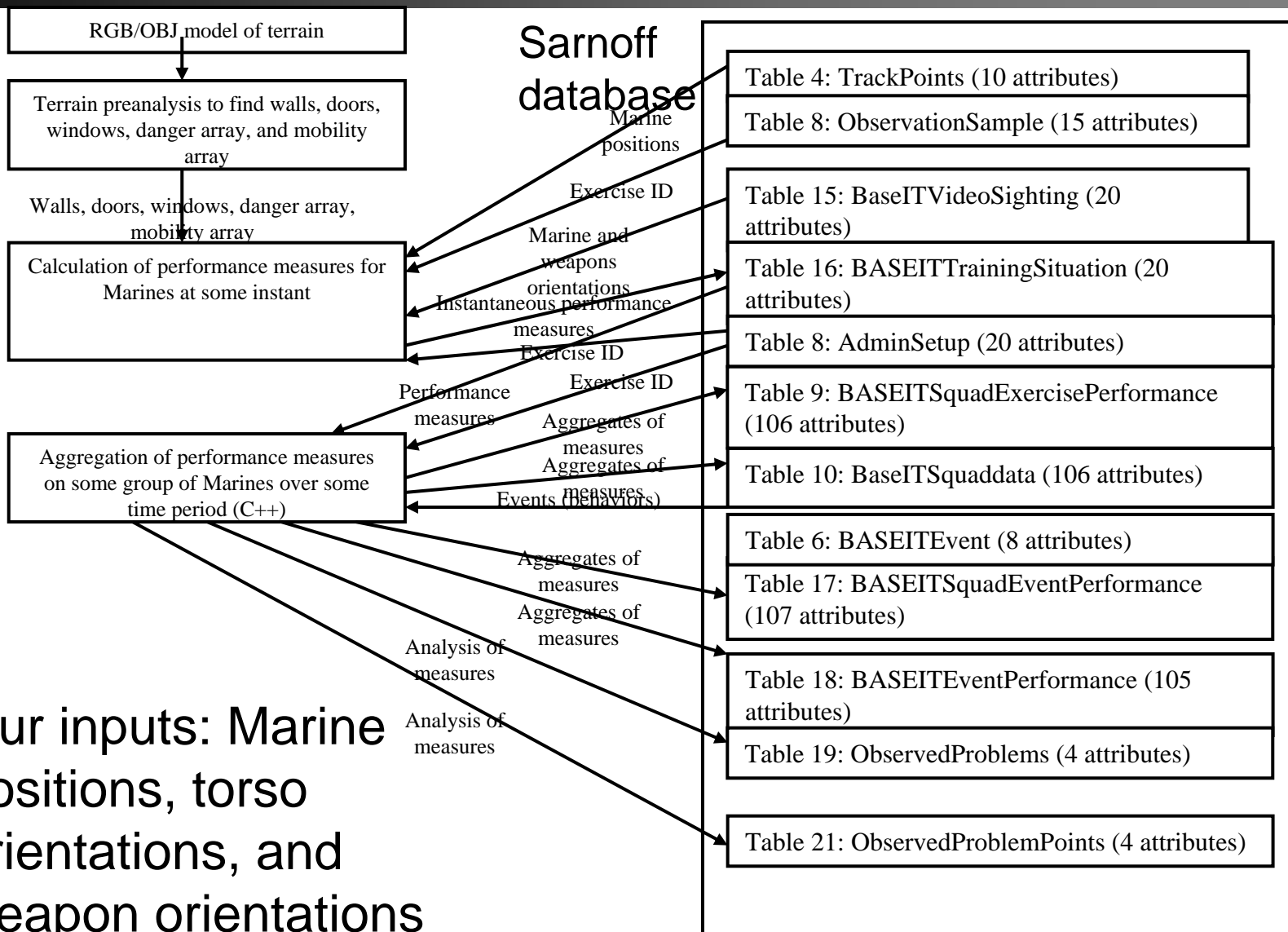


# 13 proposed “instantaneous” (time-instant) performance metrics

- Dispersion: Distances between Marines
- Collinearity of Marines
- Number of clusters of Marines (at 3 levels of granularity)
- Number of interactions with role players
- Dangerousness: Visibility to unsearched sniper positions
- Closeness: Too close to windows or doors?
- Situation awareness: Are Marines scanning their surroundings?
- Mobility: Ability to escape threats
- Speed: Too fast or too slow?
- Weapons safety: Are weapons pointed at other Marines?
- Weapons coverage: Are Marines covering threats?
- Surrounding: Is it being conducted properly?
- Leadership: Is leader communicating with subordinates?



# Calculating metrics



# Defining the metrics (1)

- Dispersion: Measure average distance between N Marines, then apply sigmoid function.

$$F2 = (1/N) \sum_{i=1}^N \left[ \min_{j=1, j \neq i}^N d(x_i, y_i, x_j, y_j) \right]$$

$$F3 = s(|\log(F2/d_0)|, 0.5), s(x, \mu) = x^2 / (x^2 + \mu^2)$$

- Collinearity: Use Person correlation coefficient.

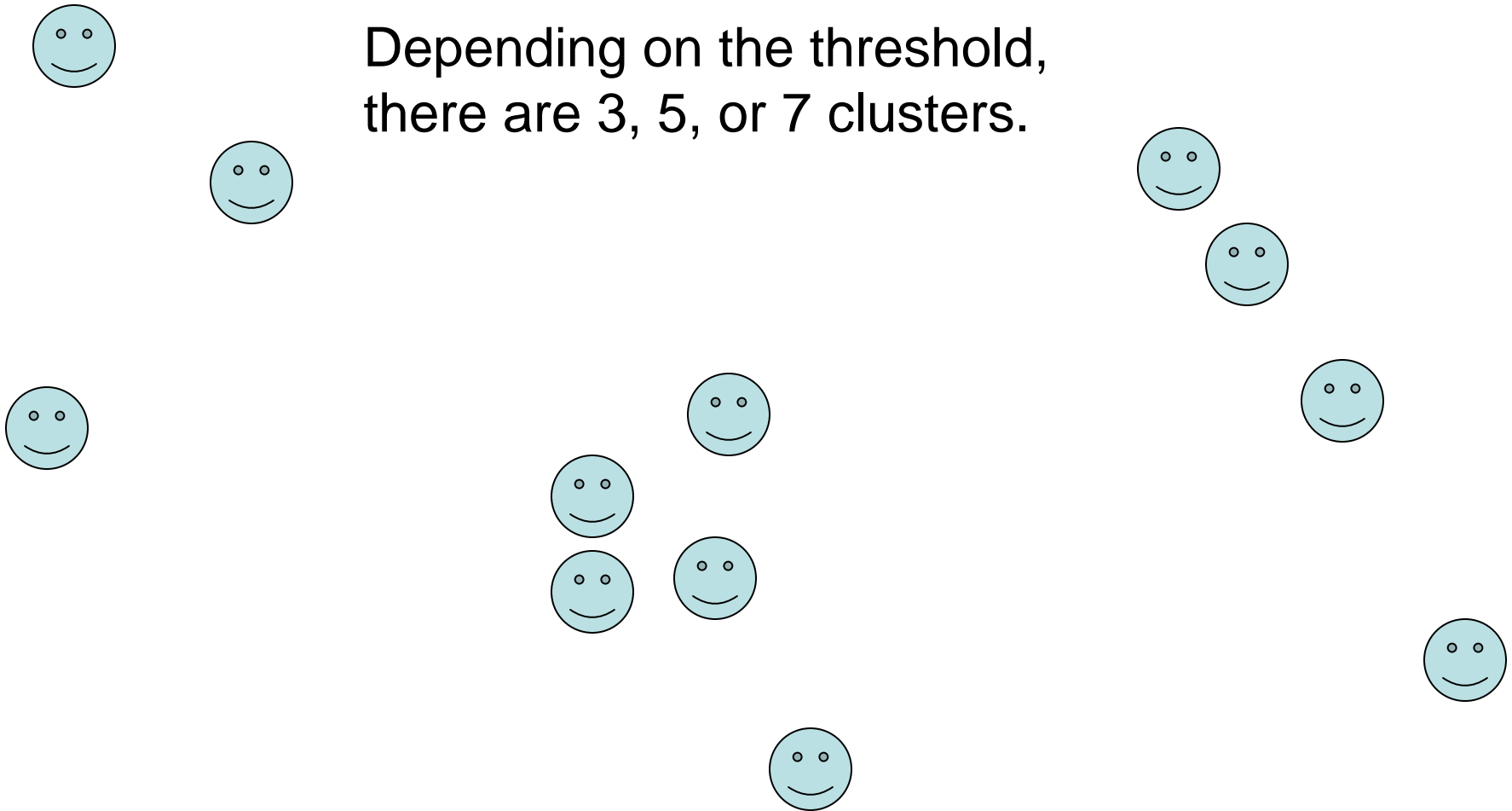
$$L4 = \rho^2, \rho = \left[ \sum_{i=1}^N (x_i - \bar{x})(y_i - \bar{y}) \right] / N \sqrt{\sum_{i=1}^N (x_i - \bar{x})^2 \sum_{i=1}^N (y_i - \bar{y})^2},$$

$$\bar{x} = \sum_{i=1}^N x_i / N, \bar{y} = \sum_{i=1}^N y_i / N$$

- Number of clusters: Construct minimum spanning tree on Marines with a distance threshold, then count number of clusters (use 3 thresholds for 3 results).
- Role players: Count face-to-face encounters within 10m.

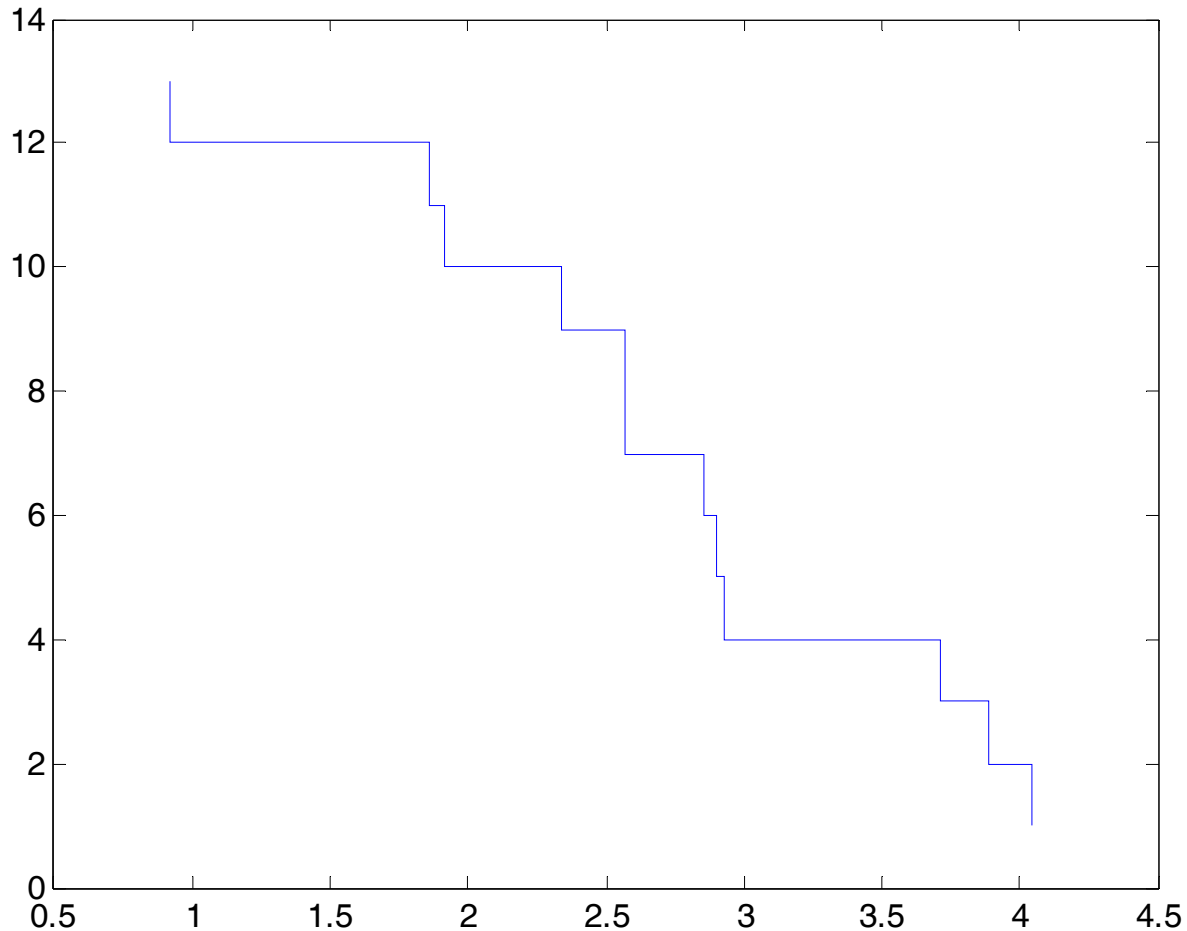
# Clustering depends on the scale

Depending on the threshold,  
there are 3, 5, or 7 clusters.



# Number of clusters versus threshold for the first Marine image

Positional clusters as function of logarithm of threshold on:c:/agents/base-it/pics/IMG\_040.jpg





# An example image



- Marine dispersion: 0.48 (on 0 to 1 scale)
- Number of clusters: 5
- Number of conversations with role players: 2

## Defining the metrics (2)

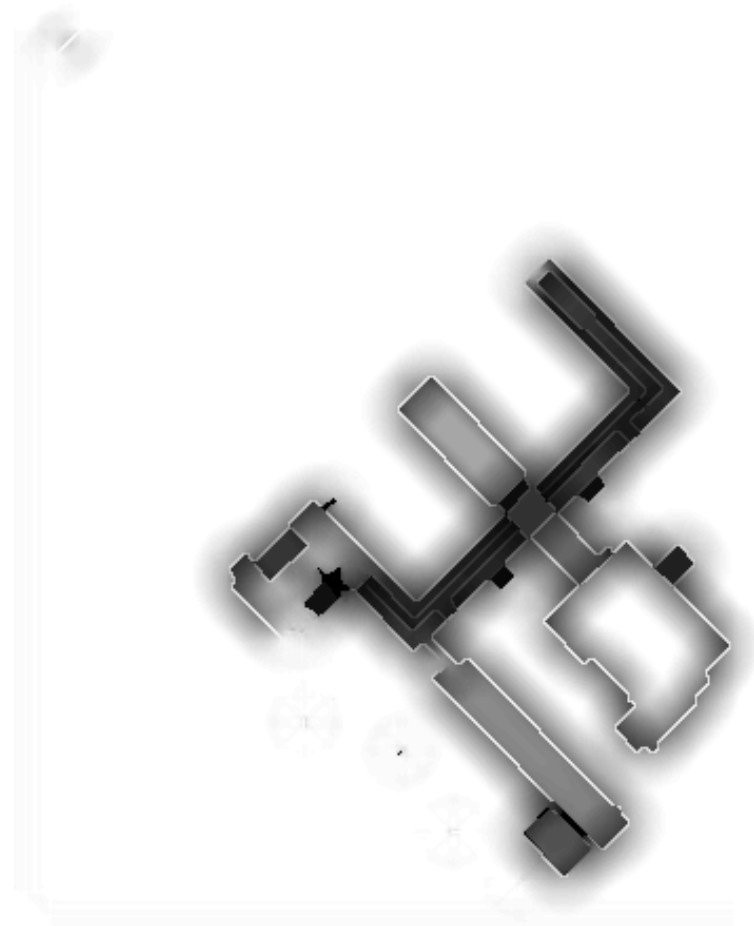
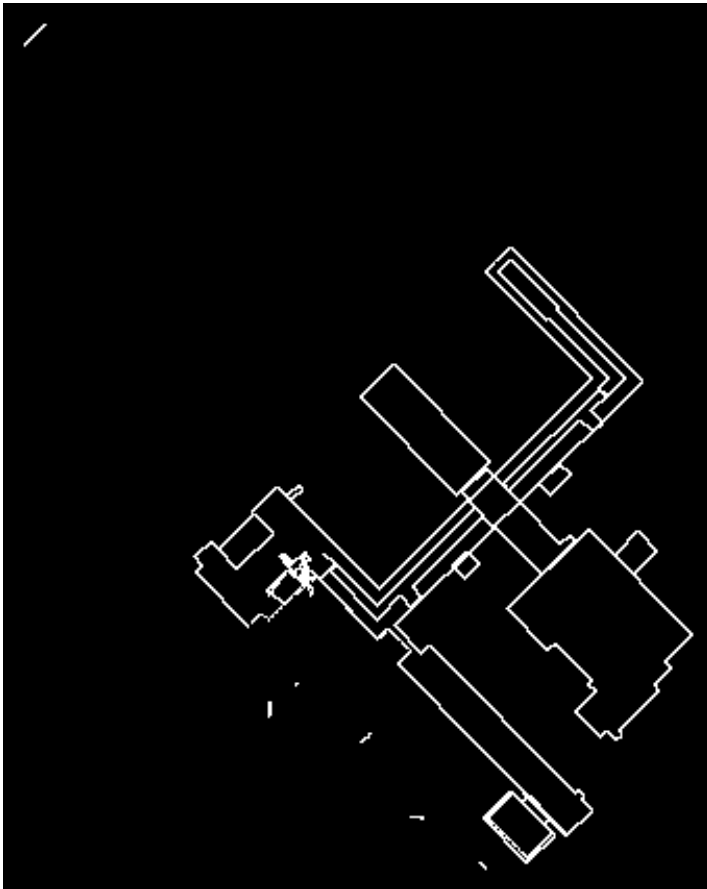
- **Mobility:** Do fixed-duration wavefront-propagation grid search in the vicinity of each point; calculate ratio of cells reached in that time to number on an unobstructed grid (approximating a circle).
- **Speed:** Calculate motion of the center of gravity of the Marines between time steps, apply a sigmoid function.
- **Weapons safety ("flagging"):** Calculate degree to which Marines are pointing weapons at one another:

$$WS1 = \sum_{i=1}^N \max_{i2=1, i2 \neq i}^N [\cos^3(\omega_i - b(x_i, y_i, x_{i2}, y_{i2}))]$$

- Here  $\omega_i$  is direction of weapon in 2D, and  $b$  is bearing to a location. The cosine cube seems to work well here in modeling the difficulty of aiming.

# Example terrain and mobility grid

Relative mobility



## Defining the metrics (3)

- Too close or too far from windows or doors: Measure distance and angle to nearest one.
- Surrounding: If the task is to surround a building, calculate the degree to which the Marines are successful by computing maximum gap between Marines on contour around building.
- Leadership: Calculate the degree to which the leader of the team deviates from the centroid of the team, and apply a sigmoid:

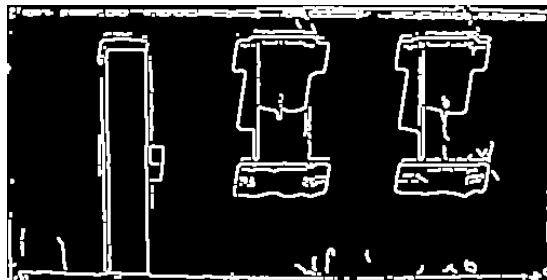
$$LD1 = (1/N - 1) \sum_{i=1, i \neq L}^N v(x_i, y_i, x_L, y_L) / [1 + 0.0025 * d(x_i, y_i, x_L, y_L)^2]$$

- Here L is the leader, v is visibility, and d is distance.

## Defining the metrics (4): the hard ones

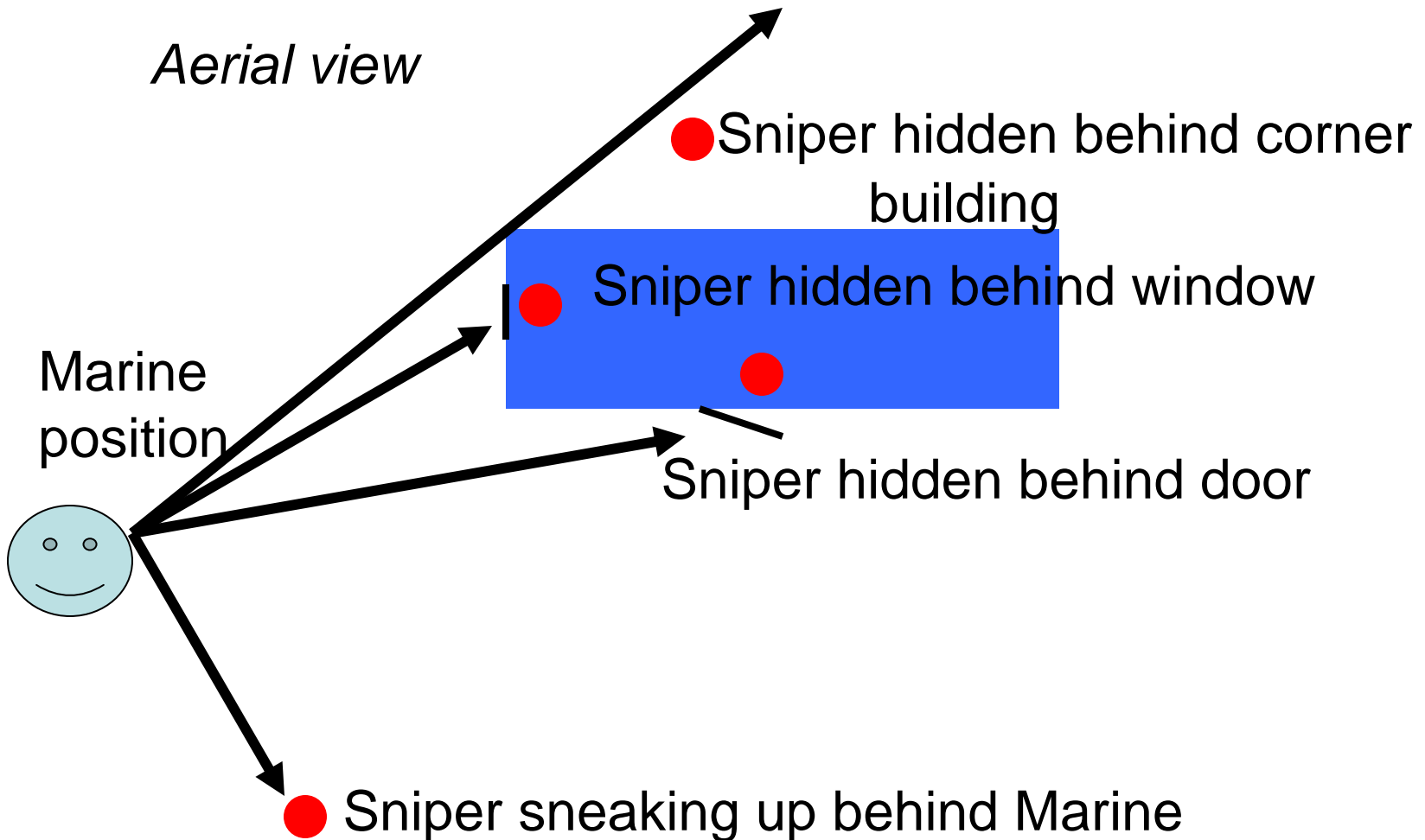
- Preanalyze terrain at evenly spaced points for dangers: visible (1) windows, (2) doors, (3) building corners, and (4) centers of large areas.
- Calculate danger as intrinsic danger divided by 25 meters plus the distance. Ignore weak dangers to create a sparse matrix.
- Get wall endpoints from graphics model of terrain.
- Find doors and windows in images of the graphics model. Correlate them with walls.
- Sweep terrain with rays at each sample location to find occluding corners.

# Extracting windows and doors



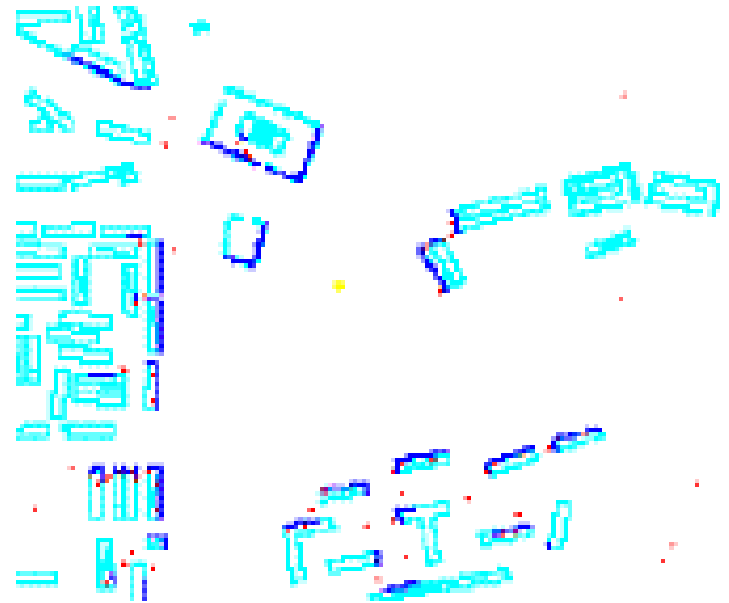


# Four kinds of threats



# Example visibility analysis

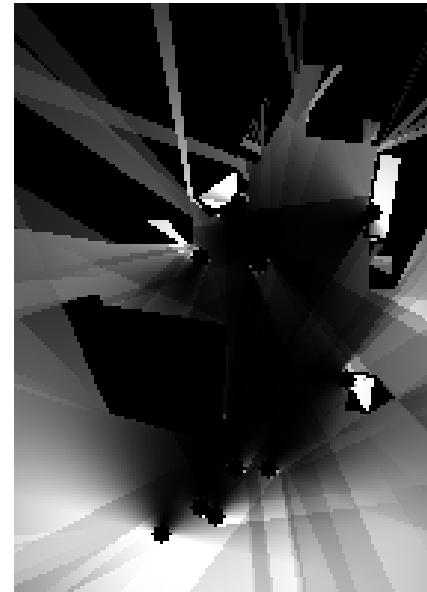
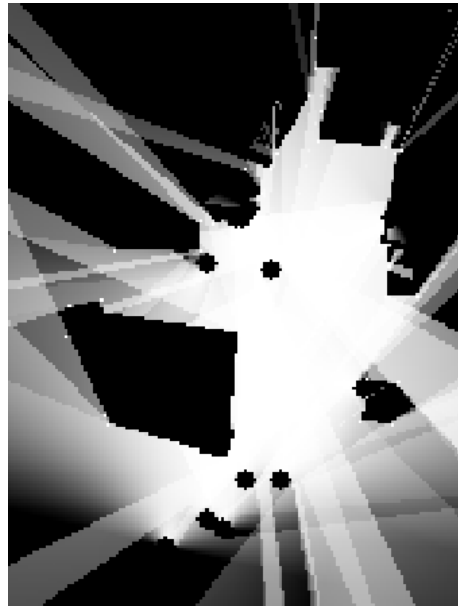
- Yellow is Marine position.
- Light blue are walls at Camp Pendleton.
- Dark blue are visible portions of walls.
- Red are first three kinds of danger points (windows, walls, and corners).
- In this version, corner threats are located at centers of occluded areas – now we just use the corners to save time.



# Visibility analysis

We computed danger for the picture shown earlier. Diagrams show view from above, and dangerousness of terrain and “obliviousness” of Marines.

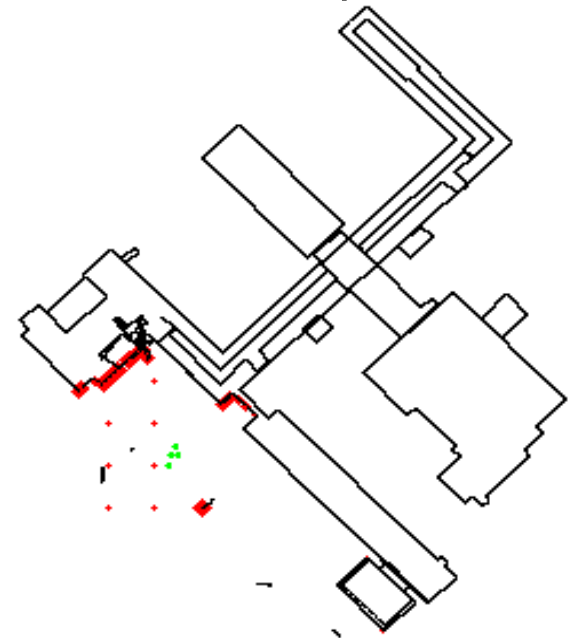
Visibility by adversary times Marine obliviousness



# Threat analysis on position data

- This shows four people (green dots) marching southeast.
- Red indicates dangers; size represents degree of danger.
- Note people were facing southeast so danger in that direction is reduced.

nondispersion: 0.694 linearity: 0.560 clusters  
 threats (red) and people (green) for (2, 381 (0.49 (0.46) and 5 (506728 t  
 4 danger 0.481 obliviousness 0.151 mobility  
 1.000 speed 0.537 flagging 0.360 weapons  
 coverage 0.353 too-close 0.000 too-far 0.875  
 surrounding 0.000 nonleadership 0.161



## Computing dangerousness

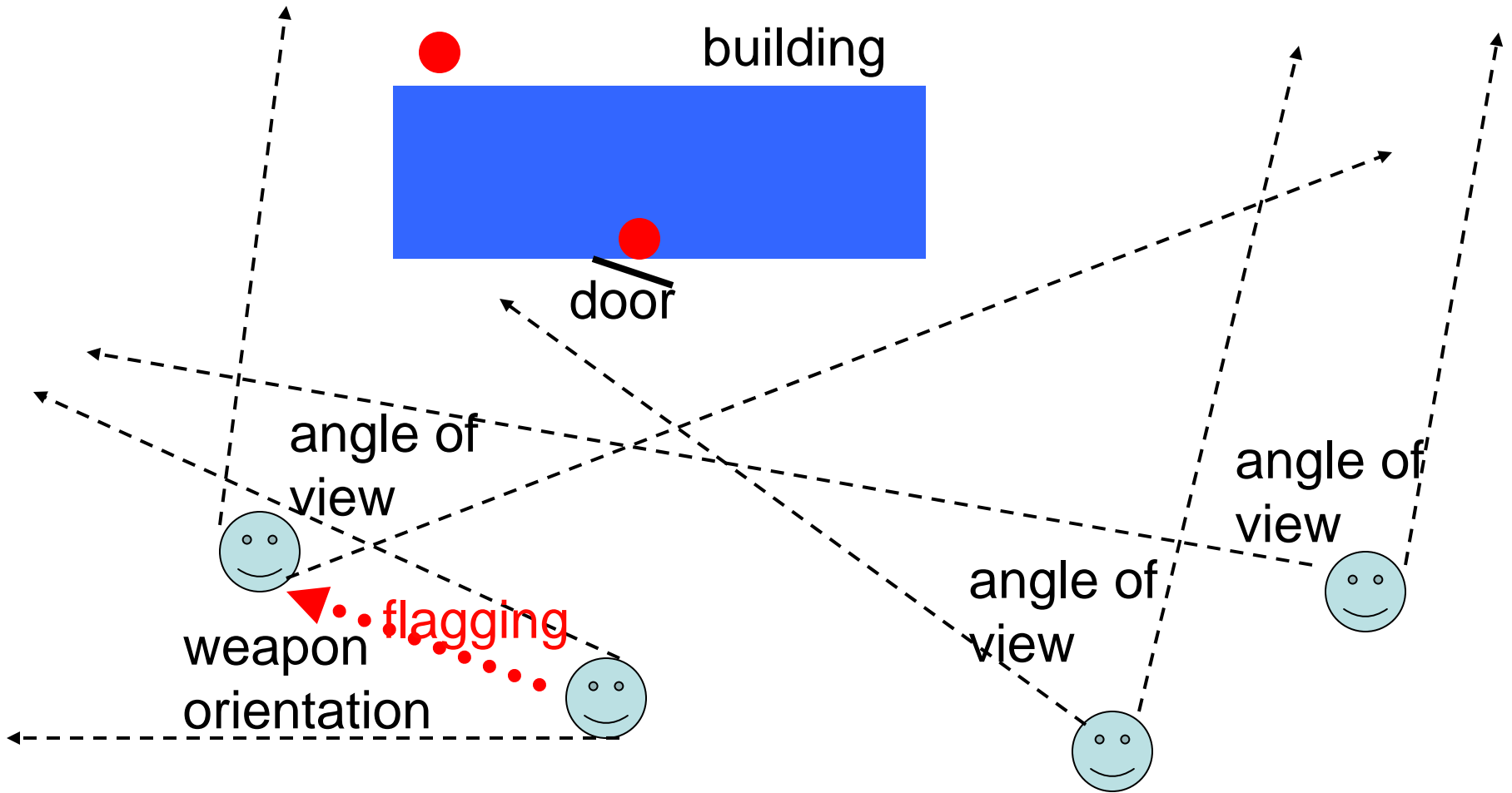
- Danger to a Marine  $i$  from threat  $j$  is  $h(j)v(i,j)/(25\text{meters}+\text{distance}(i,j))$  where  $h(j)$  is intrinsic dangerousness of the threat and  $v(i,j)$  is 1 if  $j$  is visible by  $i$ , else 0.
- We assume  $h(j) = 1$  for windows, doors, and occluding corners, and  $h(j) = \text{area}/9\text{-square-meters}$  for centers of unoccupied areas).
- Then average danger for a set of Marines over all threats is:  
$$E = (1/N) \sum_{i=1}^N s\left[\sum_{j=1}^M (h(j)v(i,j) / (25 + d(i,j))), 1\right]$$
- Here  $s$  is a sigmoid function to make range 0-1.
- This can be averaged over a path to rate paths.

# Blurring danger to model finding cover

- Of two locations equally exposed to threats as defined above, one may be much preferred by Marines if it provides better cover.
- To implement this effect, we “blur” the danger array.
- Mathematically: Set danger to weighted average of current danger and minimum of danger of its neighbors.
- A good weighting is 0.5 if the distance between neighbors can be traversed in 2 seconds (time for a sniper to aim), 0.75 on current danger for 4 seconds, etc.



# Situation awareness and flagging



# Defining Marine “obliviousness”

- Define  $o(j,t)$  be the obliviousness (opposite of situation awareness) of the group of  $N$  Marines to threat  $j$  at time  $t$ :

$$o(j,t) = \prod_{i=1}^N [0.95 - 0.5 * \text{unitstep}(\cos^3(\phi_{i,t} - b(i,j,t)))]$$

- Here “unitstep” is the function that is 1 for positive numbers, else 0;  $\phi_i$  is the direction the Marine is facing; 0.95 means 5% chance of being aware of something behind you; and  $b(i,t)$  is the bearing angle from the Marine  $i$  to threat  $t$ .
- Here the cosine cube models operation of fovea.
- If we substitute weapon angle, we get weapons coverage.

## Persistence of safety over time

- Once Marines see a potential threat and decide it is safe, that safety slowly decays when Marines aren't looking at it.
- A few threats will be confirmed and won't decay, but that is rare.
- Just one Marine seeing something for an instant helps only some – the longer they see it, and the more Marines, the better.
- Use:

$$O(j, t + 1) = 0.9 * O(j, t) + 0.1 * o(j, t + 1)$$

## Computing situation unawareness

- Calculation of situation unawareness can combine the formulas for dangerousness and obliviousness (i.e., take a weighting on dangerousness):

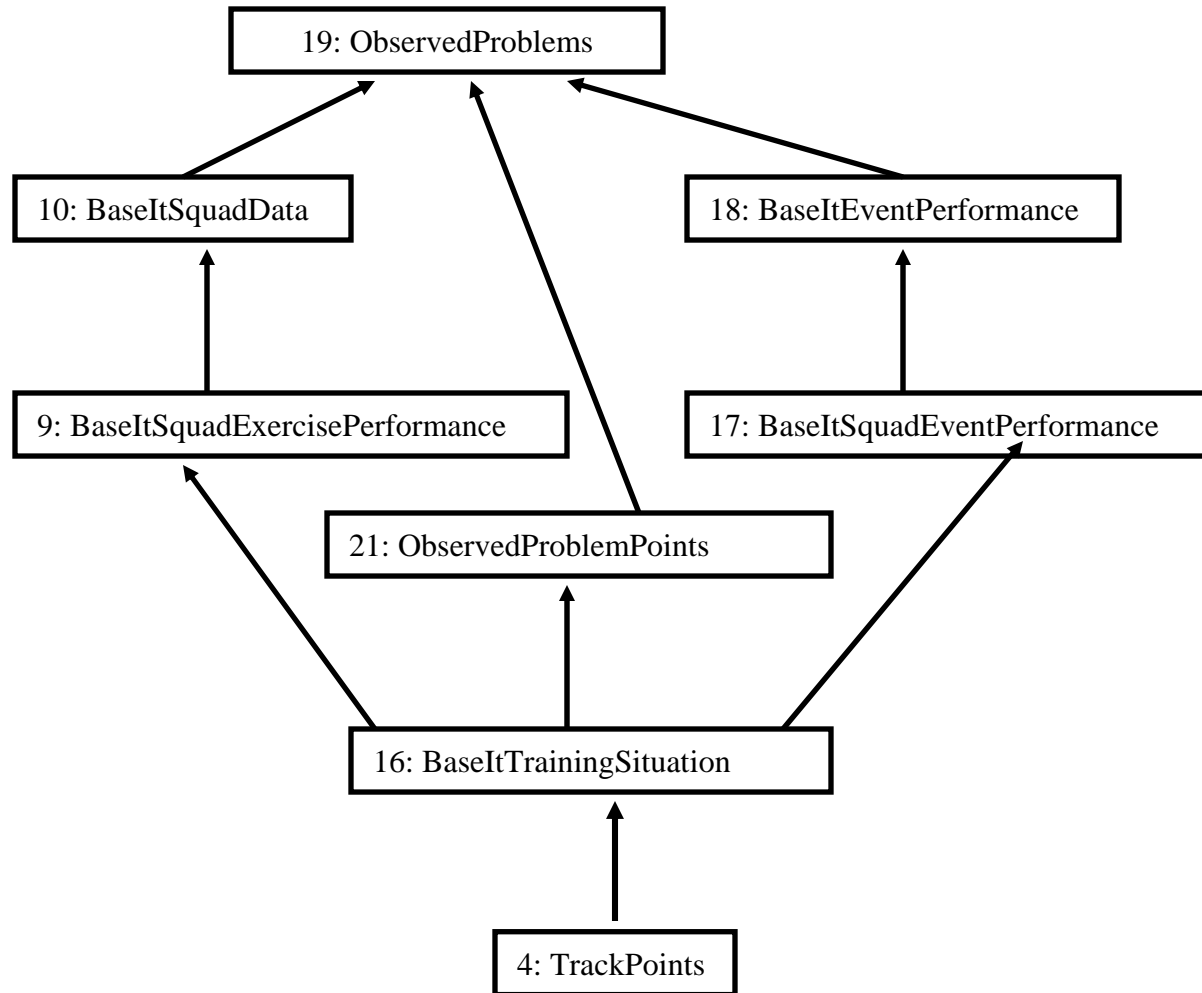
$$A = (1/N) \sum_{i=1}^N s \left[ \sum_{j=1}^M (h(j)v(i,j)o(i,j) / (25 + d(i,j))), 1 \right]$$

- Then to get relative unawareness to the danger, use  $A/E$ .
- A similar formula can compute weapons coverage by substituting the angle of the weapon for torso angle.

# Aggregating metrics over time periods

- We systematically aggregate metrics over time periods to measure overall performance.
- For each instantaneous metric, we aggregate sums, minimum, maximum, and counts in 3 ranges (low, medium, and high). (Divide sum by overall count for mean.)
- We display these at the end of each exercise.
- In addition, there are special overall metrics like time of exercise and number of errors of a given type, like duration spent failing to cover threats.
- We also aggregate over exercise type and squad to provide data for analysis of historical trends.

# Aggregation scheme





# Conclusions

- This is second year of a three-year project.
- We will have our first test run in August.
- Though we are trying hard to interpret Marine doctrine, a lot isn't written down.
- Thus we will likely get valuable feedback from our Marine experts after the exercise.
- This will refine the metrics and their parameters.
- Also, we need to speed the danger calculation – it's one simulated second per real second in Matlab right now.